## Analysis of Smoldering Fires

 in Closed Compartments and Their Hazard Due to Carbon MionoxideU.S. DEPARTMENT OF COMMERCE National Bureau of Standards
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# AN ANALYSIS OF SMOLDERING FIRES <br> IN CLOSED COMPARTMENTS AND THEIR HAZARD DUE TO CARBON MONOXIDE 

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by
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#### Abstract

A review was made of smoldering fire experiments conducted in closed rooms and buildings. The results were summarized by tabulating maximum levels of CO , the time integral of CO concentration ("dose"), $\mathrm{CO}_{2}$, temperature rise and oxygen consumption. A hazard time based on the attainment of a CO dose equal to $4.5 \%$ CO-minutes and the time for transition to flaming were also tabulated. The likelihood of reaching a critical C0 condition during smoldering seems to be comparable to the likelihood of having transition to flaming occur. A theoretical model, requiring inputs of $C O$ production rate and energy release rate, was executed and compared with available data. The theoretical results for $C O$ concentration as a function of time were in good agreement with the experimental data. The model offers a means of extrapolating test data to compartments of various size in order to assess the general hazard of $C 0$ due to smoldering.


Key Words: Carbon monoxide, closed space, review, smoldering fires.

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The hazard of smoldering fires has been well documented by fire statistics. Twenty-seven percent of the deaths due to fire in the United States have been attributed to residential fires involving mattresses or upholstered furniture initiated by smoking materials [1]. This fire scenario commences with a smoldering fire propagation which may go through a transition to flaming fire spread. The fire victims could be in the same room as the fire or in another room of the dwelling. It is not clear from fire incidence data whether victims succumb during the smoldering phase or during the possible subsequent flaming phase.

Although this fire scenario is more than five times as common as any other [1], its characteristics and behavior have been studied very little. There are only a few experimental studies for a variety of materials and furnishings to document the general behavior of smoldering propagation and its transition to flaming. Consequently the mechanisms for smoldering decomposition and its transition to flaming are not well understood. For example, no models have been developed to predict the rate of CO evolved or the time for flaming to occur. Also the dynamics of the flow of combustion products, which originates at the smoldering source and spreads to the boundaries of the dwelling space, have not been delineated. A better understanding of these phenomena could more completely define the parameters which control the hazard of the "smoldering" fire scenario.

The research that has been done divides into very basic and very applied studies. The fundamental research has dealt with simple geometric configurations and has led to some insight into the mechanism of smoldering and the prediction of its propagation [2-8].

The applied research has [9-15] considered the smoldering of furnishing materials in full-scale experiments involving a single room, several rooms, or even an entire house. Usually, the criterion for conducting these experiments was realism, e.g., ignition by a cigarette, inclusion of blankets, sheets, etc. Typically the temperature and composition of the accumulated products of combustion were recorded. The mechanism of smoldering was not addressed in these full-scale experiments, and in nearly all cases, the rate of mass loss during smoldering was not measured or reported.

The motivation for this investigation was to try to establish a quantitative result of the hazard during the smoldering period of a fire. The objectives were two-fold: (1) to consolidate for analysis the data of available full-scale smoldering experiments, and (2) to develop a model for the prediction of $C O$ concentration in an enclosure subject to smoldering.

## Compartment Smoldering Experiments

A review of the literature was made in order to assemble temperature and concentration data from smoldering fire experiments in compartments. Only those experiments in which measurements were made in a closed space were considered. The "closed space" could have been a single room with a closed door, or an entire house with all external doors and windows closed (or, perhaps, open a small amount). The literature review includes experiments in a single family house by Bukowski, Christian, and Waterman [9], tests of various mattress and upholstered chair materials by Hafer and Yuill [10], room tests
by Sumi and Williams-Lear [ll], experiments in a mobile home by Bukowski [12], and experiments in an apartment by Heskestad [13] and Kung [14]. Recent experiments conducted at the National Bureau of Standards (NBS) [15] were also evaluated.

These recent NBS experiments [15] were to serve as a guide for the developmental of a mathematical model and a basis for its verification. They were conducted in a closed room 2.44 m high and $8.83 \mathrm{~m}^{2}$ in floor area. The only opening was a horizontal slit at the floor with dimensions 76 cm by 2.5 cm high. The smoldered material was either a loosely packed bed of cotton 10 to 15 cm thick or two adjacent blocks of flexible polyurethane foam designated as GM-21* 15 cm thick. Smoldering was initiated by an electric heater centrally located within the material. Also a chair of the same type used by Bukowski [12] was smoldered. In each of these experiments the mass loss was measured along with temperature and specie concentrations at various positions in the room. The gas measurements were made between the smoldering material and one wall at heights of $30.5,76.2,168$, and 236 cm above the floor. The smoldering material was placed on a load cell platform which was approximately 33 cm above the floor, and the ignition point on the chair was approximately 43 cm above its base.

The experimental data reviewed in the literature and obtained in the NBS study [15] are listed in Tables Ia and Ib. Table Ia lists the materials burned, and the type of enclosure including its volume and ventilation conditions.

Table Ib lists the corresponding experimental critical results during smoldering: maximum carbon monoxide concentration, minimum oxygen concentration, maximum carbon dioxide concentration, maximum temperature rise, and the time of transition to flaming.

[^0]It is useful to analyze these data in order to establish some basis for deciding whether the smoldering fire conditions pose a threat to human safety. The degree of impairment which constitutes a threat is somewhat subjective. Also many factors bear on the process so that a unique hazard criterion is not possible to define. Although CO appears to be the principle hazardous agent of smoldering fires, other combustion products generated can increase the hazard. They can affect the respiratory rate, in addition to the normal rate corresponding to the activity of the person. Thus, the inhaled rate of combustion products will vary, and a specified exposure to $C O$ is not sufficient to define a unique physiological effect. Despite these factors, a reasonably distinct condition will be sought so that a hazard criterion can be expressed solely as a function of the exposure $C O$ concentration. This will provide at least a reference point for discussion.

The basis for determining the hazard caused by exposure to CO is the concentration of carboxyhemoglobin ( COHb ) which forms in the blood. This displaces the oxyhemoglobin, therefore starving the body of oxygen. The degree to which this occurs has been correlated with the response of healthy adults [16]. The COHB level is usually measured in per cent saturation in the blood with $100 \%$ corresponding to the condition in which all of the hemoglobin has combined with CO to form COHb . For example, $20-40 \% \mathrm{COHb}$ corresponds to throbbing or severe headache and nausea, and greater than $50 \% \mathrm{COHb}$ leads to coma or death, if untreated [16]. A general formula that describes the relationship between the exposed $C O$ concentration ( $x$ in \% volume) and the conversion to COHb in the blood ( z in \% saturation in blood) was developed by Coburn, Foster and Kane [17]. The formula basically is a conservation equation which states that the rate of $\mathrm{COHb}(\mathrm{d} / \mathrm{d} t)$ formed is equal to the
sum of the inhaled or exogenous component plus the body generated or endogenous component. In considering extreme effects associated with combustion products, the endogenous effect is relatively small. Since the exogenous effect results from the CO partial pressure difference between the exposure gases and the pulmonary capillaries, it can be a positive or a negative value. COHb will increase when exposed to a fixed CO concentration, reaching an equilibrium value in generally several hours. On subsequent exposure to normal air, COHb will decay to its normal level in the same manner. Further details of the process can be found in the literature $[16,17]$. The following equation can be developed by using the values for fixed parameters as suggested by Stewart [16] and Zullo [18].

$$
\begin{equation*}
\frac{\mathrm{dz}}{\mathrm{dt}}=0.69 \mathrm{x}-\frac{0.042 \mathrm{z}}{(100-z)} \mathrm{k}_{\mathrm{v}}+6.4 \times 10^{-4} \tag{1}
\end{equation*}
$$

where $z$ is \% COHb saturation,
x is \% volume of CO in the exposure gas, $k_{v}$ is a ventilation parameter in $\mathrm{m} / / \mathrm{min}-\mathrm{mm} \mathrm{Hg}$, and t is time in minutes.

The value of $k_{v}$ depends on the ventilation rate and therefore the activity level of the person. Zullo [18] provides data such that the following values for $k_{v}$ can be determined for three activity levels:
$\mathrm{k}_{\mathrm{v}}=\left\{\begin{array}{l}6.6 \mathrm{ml} / \mathrm{mm} \mathrm{Hg}, \text { resting } \\ 15.4 \mathrm{ml} / \mathrm{min}-\mathrm{mm} \mathrm{Hg}, \text { moderate work } \\ 24.7 \mathrm{ml} / \mathrm{min}-\mathrm{mm} \mathrm{Hg}, \text { heavy work }\end{array}\right.$

A criterion for hazard will be derived from Eq. (1) by making some approximations. In principle, the activity level, age and health of the person along with the expsoure concentration of CO will be sufficient to compute the COHb level as a function of time. A hazard time can then be found by deciding on a specific unacceptable COHb level. The variations and uncertainties in these quantities justify approximations in the analysis in order to arrive at a general criterion. of course, this result to follow will only provide a general global reference, and will not be accurate in specific cases. The approximations are described below:
(1) The threshold for discomfort in healthy adults and a possible lethal condition for persons with heart disease may be taken as $z=20 \%$. Hence, by considering $0 \leq z \leq 20$ as the range of interest, Eq. (1) will be linearized by approximating the term $z /(100-z)$ as $z / 100$.
(2) The anticipated range of $C O$ conditions relative to smoldering fires is 0.01 to $1 \%$ (or 100 to $10,000 \mathrm{ppm}$ ). Also since the potential victim is believed to be asleep in many smoldering fire scenarios, a $k_{v}$ corresponding to the rest state will be used. Hence, the endogenous term ( $6.4 \times 10^{-4} \% \mathrm{COHb} / \mathrm{min}$ ) will be negligible compared to the exogenous term. On similar reasoning, the initial concentration of COHb will be taken as zero.

Thus, Eq. (1) is approximated as follows:

$$
\begin{equation*}
\frac{\mathrm{dz}}{\mathrm{dt}}=6.6(0.69 \mathrm{x}(\mathrm{t})-0.042 \mathrm{z}) \tag{2}
\end{equation*}
$$

with $z=0$ at $t=0$.

A general solution is given as

$$
\begin{equation*}
z=4.6 e^{-2.8 \times 10^{-3} t} \int_{0}^{t} e^{2.8 \times 10^{-3} \tau} x(\tau) d \tau \tag{3}
\end{equation*}
$$

To justify a final approximation, a representative upper time limit of interest in smoldering fires will be taken as 2.5 hours (150 min.). Also a power law description will be considered for $C O$ concentration since this is a good representation for smoldering in closed compartments. That is,

$$
\begin{equation*}
x(t)=a t^{n} \tag{4}
\end{equation*}
$$

This is substituted into Eq. (3) along with approximations for the exponentials since $2.8 \times 10^{-3} t$ is small for $t \leq 150$ minutes. The result can be written as

$$
\begin{equation*}
z=0.69 k_{v} \int_{0}^{t} x(\tau) d \tau\left[1-\frac{b t}{n+z}-\frac{n+1}{n+z}(b t)^{2}\right] \tag{5}
\end{equation*}
$$

where $b=4.2 \times 10^{-4} \mathrm{k}_{\mathrm{v}} \min ^{-1}$,

$$
\mathrm{k}_{\mathrm{v}}=6.6 \mathrm{~m} \ell / \mathrm{min}-\mathrm{mmHg},
$$

and

$$
x=a t^{n}
$$

For smoldering rates to be discussed, it may be reasonable to expect $n$ between 1 and 3. Such arguments lead to the conclusion that the bracket term in Eq. (5) can be as low as 0.75 approximately. Considering this effect small in terms of the precision attributable to an overall hazard criterion, the following criterion is derived.

$$
\begin{equation*}
D(t) \equiv \int_{0}^{t} x(\tau) d \tau=\frac{20}{(0.69)(6.6)} \sim 4.5 \% \mathrm{CO}-\mathrm{min} \tag{6}
\end{equation*}
$$

The variable D defined here will be referred to as the CO-dose, and $4.5 \%-\mathrm{min}$ represents its critical value relative to hazard. This dose variable can be easily computed from experimental data or from predicted CO concentrations over time, and the time at which it attains $4.5 \%$-min defines the degree of hazard. Table Ib lists the maximum value of $D$ achieved in each experiment, and the time at which the critical dose is reached.

Unquestionably the criterion for hazard due to CO exposure is somewhat arbitrary as expressed by Eq. (6). It has been based on some approximations to the Coburn et al. equation [17], holds for times less than about 150 minutes, has selected $20 \% \mathrm{COHb}$ as an "incapacitation" point, and has assumed a human activity in the resting state. For other conditions, the critical value in Eq. (6) will change. An increase in the activity level will decrease the critical value for dose, and the dose integral will overestimate the physiological effect for times longer than those for which the mathematical approximations are valid.

Based on this $C O$ hazard criterion and on similar considerations for the other possible sources of hazard, the general results of Table 1 may be summarized as follows: The effects of elevated temperature, low oxygen, and high carbon dioxide levels were not a significant threat to life safety in these limited experiments; however, the level of carbon monoxide in smoldering can reach a hazardous level. The onset of flaming, after which hazardous conditions will very likely result, is a variable event, and the factors which promote its occurrence are not obvious. Distributions of the times to flaming and the times to reach the critical ( $4.5 \%-\mathrm{min}$ ) CO dose are shown in figure 1 . Of the forty experiments, 24 resulted in transition to flaming and 17 reached a critical CO dose during
smoldering. Of these 17,10 never developed to the flaming state while the other 7 did. It appears that hazardous conditions due to CO occur in 50 to 150 minutes and that the transition to flaming is also very likely in this period. Hence the hazard of smoldering initiated combustion is either the incapacitation of a person due to the inhalation of CO , or the transition to flaming combustion which would increase both the CO and temperature levels of the combustion products. Both of hazards appear to have a similar chance to occur in a period of 1 to $2-1 / 2$ hours. Which will occur first can not be answered, since the transition to flaming can not be predicted.

Theoretical Analysis

The model applied to predict the CO concentration in the enclosure is based on the analysis developed by Zukoski [19] to predict the time required for a "closed" room to fill with products of combustion from a small fire. The smoldering phenomenon is treated as a point source of energy and CO which gives rise to a weakly buoyant plume, and the room is assumed to leak at the floor. All closed building compartments tend to leak and a floor leak corresponds to the usual space under a closed door. The plume causes a hot descending layer in the room and the concentration is taken to be uniform in this layer. A schematic of this process is shown in figure 2.

A tracing sketch taken from a photograph of the actual process is shown in figure 3. The faintness of the smoke in the plume and hot layer precluded a distinct photograph for illustration. The sharpness of a hot layer interface is not always clear, and this concept is less valid as the descending layer gets close to the floor. Nevertheless, a point source plume is probably a good model of the smoldering plume but the homogeneous layer assumption may need more support.

The governing equation for the layer height given by Zukoski [19] in dimensionless variables is

$$
\begin{equation*}
\frac{d y}{d \tau}+Q^{*}+\alpha\left(Q^{*}\right)^{1 / 3} y^{5 / 3}=0 \tag{7a}
\end{equation*}
$$

for $0 \leq y<1$ with $y=1$ at $\tau=0$ and

$$
\begin{equation*}
\frac{d y}{d \tau}+Q^{*}=0 \tag{7b}
\end{equation*}
$$

for $-\frac{L}{H_{c}} \leq y \leq 0$. Once the layer reaches the floor, $y=-L / H_{c}$ for all time thereafter. These equations arise from a mass balance on the lower cold volume of gas in the compartment. The second term in Eq. (7a) represents the leak rate which is proportional to the energy release rate ( $Q$ ) of the smoldering source minus the rate of heat loss from the hot layer which are assumed negligible here. This term is generally small compared to the third term for smoldering fire sources while the layer height (H) is above the position of the source (L). The third term represents the rate of mass entrained by the plume.

The dimensionless quantities are given as follows:
dimensionless time, $\tau=t \sqrt{g / H_{c}}\left(H_{c}^{2} / \mathrm{S}\right)$;
dimensionless heat, $Q^{*}=\dot{Q} /\left(\rho_{o} T_{o} c_{p} \sqrt{\mathrm{GH}_{c}} \quad H_{c}^{2}\right)$;
dimensionless layer position, $y=H / H_{c}$;
and entrainment parameter, $\alpha=1 / 5.4$.

The floor area is designated by $S$, and the other geometric variables are displayed in figure 2.

The rate of energy release of the point source plume is given by

$$
\begin{equation*}
\dot{Q}=\dot{m} \quad \Delta H \tag{8}
\end{equation*}
$$

where $\dot{m}$ is the rate of mass loss due to smoldering and $\Delta H$ is the heat of reaction for the smoldering process. Here, the assumption is made that all of the energy release due to smoldering is convected away by the plume. Plume radiation and conduction heat losses in the smoldering material are neglected. It will be shown that significant uncertainties in the value of $\Delta \mathrm{H}$ exist which overshadow the effect of ignoring these heat losses. Fortunately these uncertainties seem to have a small impact on the predicted results.

The conservation equation for $C 0$ was developed from a control volume enclosing the hot layer and the plume. The plume was assumed to have negligible volume, and the density of hot layer was taken as that of the air in the lower layer. This is consistent with the Boussinesq model for the plume [19] and is justified by the low temperature rise in smoldering fires as observed from Table I. By employing the conservation of mass as well, the equation for CO mass concentration, $Y$, with or without leakage from the hot layer, follows:

$$
\begin{gather*}
\frac{d Y}{d \tau}=\frac{\gamma c_{p}^{T}}{\Delta H} \frac{Q^{*}}{(1-y)}-\alpha Q^{1 / 3} y^{5 / 3} Y /(1-y) \text { for } 0 \leq y \leq 1  \tag{9a}\\
\frac{d Y}{d \tau}=\left(\frac{\gamma c_{p} T_{o}}{\Delta H}\right)\left(\frac{Q^{*}}{1-y}\right) \text { for }-\frac{L}{H_{c}} \leq y \leq 0 \tag{9b}
\end{gather*}
$$

where $\gamma$ is the effective stoichiometric mass ratio of CO produced to mass of material lost.

The dose parameter is computed as follows:

$$
\begin{equation*}
D=\int_{t_{0}}^{t} Y d t \tag{10}
\end{equation*}
$$

In the theoretical calculations the initial time $t_{o}$ corresponds to the time at which the layer interface reaches a specific height of interest. This height could represent the position of a CO sensor or a likely position that a person would be at. In analysis of the experimental data of Table $I, t_{o}$ is taken as zero.

A computer program was written to solve equations (7), (9) and (10) numerically. The apparent singularity in Eq. (9a) was avoided by small-time analytical solutions as shown by Cooper [20]. The rate of mass loss as a function of time was derived from available experimental data. Two other parameters, $\gamma$ and $\Delta H$, must be specified for the smoldering material. These were also derived from experimental data. This process will be described.

Comparison with Experimental Results

The two NBS tests [15], T18 polyurethane and T22 cotton, were examined first. The mass loss rate was determined to be approximately linear in time up until the fuel limit was reached, i.e.,

$$
\begin{equation*}
\dot{\mathrm{m}}=c t \tag{11}
\end{equation*}
$$

with "c" respectively $0.206 \mathrm{gm} / \mathrm{min}^{2}$ for the polyurethane and $0.33 \mathrm{~g} / \mathrm{min}^{2}$ for the cotton. The heat source was taken at $L=0.33 \mathrm{~m}$ in these calculations.

Approximate values for $\Delta H$ were suggested by Ohlemiller [21] as $1.05 \mathrm{~kJ} / \mathrm{g}$ for polyurethane and $2.1 \mathrm{~kJ} / \mathrm{g}$ for cotton. Values for $\gamma$ were then empirically determined using the upper most probe value for $Y(C O)$ in Equation (9) at a sufficiently long time such that the hot layer position was at or near the Floor. Thus, the value of $y$ would be approximately equal to ( $-\mathrm{L} / \mathrm{H}_{\mathrm{c}}$ ). The values found for $\gamma$ were 0.085 for cotton and 0.11 for polyurethane.

An alternative method was also used to evaluate $\Delta H$ and $\gamma$ for these materials. I'his made use of the analytical data taken from the NBS toxicity "protocol" apparatus [22]. This apparatus consists of a $194 \ell$ closed chamber in which a small sample (several grams) of material is thermally decomposed in an electric furnace. The cotton and polyurethane materials examined in the closed room tests were decomposed (without flaming) in this apparatus. The gas temperature, CO and $\mathrm{O}_{2}$ concentration measurements, along with the initial and final mass measurements of the samples, were used to estimate $\Delta H$ and $\gamma$. The respective maximum and minimum records for $C O$ and $O_{2}$ were associated with the final sample mass at the end of the test. The parameters were then calculated from

$$
\begin{equation*}
\gamma=\frac{m_{c o}}{m_{o}-m_{f}} \tag{12}
\end{equation*}
$$

and

$$
\begin{equation*}
\Delta H=\frac{m_{0_{2}} \Delta H_{0_{2}}}{m_{o}-m_{f}} \tag{13}
\end{equation*}
$$

based on the assumption that the constancy of the heat of combustion per unit mass of oxygen $\left({ }_{\Delta H} \mathrm{O}_{2}\right)$ holds for these decomposition reactions with a value of $13 \mathrm{~kJ} / \mathrm{g} \mathrm{O}_{2}$ [23]. The other variables in Eqns. (12) and (13) are given as follows:
$m_{c o}$ - the maximum mass of $C 0$ produced
and $m_{0}$ - the maximum mass of $0_{2}$ consumed
$m_{0}$ - the initial sample mass
$m_{f}$ - the final sample mass

The results of these calculations for a number of tests with different initial mass loadings yielded the values listed below:

```
Cotton: \(\gamma=0.11 \mathrm{~g} / \mathrm{g}, \Delta \mathrm{H}=11 \pm 1 \mathrm{~kJ} / \mathrm{g}\)
Polyurethane: \(\gamma=0.10 \begin{aligned} & +0.01 \\ & -0.04 \\ & \mathrm{~g} / \mathrm{g}, \Delta \mathrm{H}=15 \pm 8 \mathrm{~kJ} / \mathrm{g}\end{aligned}\)
```

The variation in the values represents the differences among the test results for different sample loadings. The significance of these results is their general agreement with the "best fit" values for $\gamma$ from the full-scale experiments, and their similarity for the two materials. But these derived $\Delta H$ values are an order of magnitude higher than the suggested values by Ohlemiller [21]. Fortunately this uncertainty in $\Delta H$ does not have a great impact on the computed results produced from the two sets of parameters, nor on their general agreement with the full-scale data. These comparisons are shown in Figure 4 for cotton and Figure 5 for polyurethane.

The results in Figures 4 and 5 show the long time scale typical of smoldering fires. The time at which each probe begins to record an increase in CO concentration is somewhat apparent from the data. These probe times could be interpreted as the time corresponding to the descending hot layer of C 0 . The clarity of this interpretation is not sufficient to test the predicted arrival times for the layer. However the general magnitude of the predicted results may be of interest and therefore are listed below for the polyurethane test:

| probe position, $y$ | 0.64 | 0.21 | -0.01 |
| :--- | :--- | :--- | :--- | :--- |
| arrival time for $\Delta H=15 \mathrm{~kJ} / \mathrm{g}$ | 150 s | 480 s | 1400 s |
| arrival time for $\Delta H=1.05 \mathrm{~kJ} / \mathrm{g}$ | 270 s | 900 s | 3900 s |

Similar results are predicted for the cotton test. The order of magnitude of the predicted times seem to be in agreement with the times suggested by the data. The long arrival time for the probe near the source, calculated using the lower estimate for $\Delta H$, may suggest that the higher value estimates of $\Delta H$ are more correct. More information is needed to resolve this issue.

The upholstered chair experiment [15] was analyzed next. Only the data for the sensor near the ceiling will be shown, since these should be representative of the idealized layer concentration. The predicted CO layer concentration was based on an experimental smoldering rate of

$$
\dot{\mathrm{m}}=\left\{\begin{array}{l}
\left(0.10 \mathrm{~g} / \mathrm{min}^{2}\right) t+\left(0.0185 \mathrm{~g} / \mathrm{min}^{3}\right) \mathrm{t}^{2}, 0<\mathrm{t}<73 \mathrm{~min} .  \tag{14}\\
\left(60 \mathrm{~g} / \mathrm{min}^{2}\right), 73 \leq \mathrm{t} \leq 120 \mathrm{~min} .
\end{array}\right.
$$

and $\Delta H$ was selected as $1.5 \mathrm{~kJ} / \mathrm{g}$ since the chair was composed of cotton and polyurethane. The "best-fit" value for $\gamma$ was found to be 0.11 . Based on the previous discussion for the NBS polyurethane and cotton results, a higher value could also have been selected for $\Delta H$. Since the uncertainty in $\Delta H$ appears to have a small effect on the predicted results, the smaller value was settled on. It is noted, however, that the "best-fit" value for $\gamma$ is nearly the average of the previous values found for the pure cotton and polyurethane materials.

The predicted results are compared to the measured $C 0$ concentrations in Figure 6. The predicted height of the hot layer is also plotted as a function
of the. It infilally falls at a relatively fast rate due to entrainment by the plume, then slows as it approaches the idealized heat source at 0.76 $m$ above the floor. It then descends more rapidly as the smoldering rate increases, reaching the floor at 67 minutes. The test was allowed to proceed for nearly two hours. Flaming did not occur and the upholostery was almost entirely consumed.

Since the same chair had been used in the mobile home experiments by Bukowski, the mass loss rate given by Eq. (8) was used as a basis for predicting the CO concentrations in these experiments. A schematic of the mobile home is shown in Figure 7. The chair was burned in the living room, and C 0 measurements were made in the hall, 1.5 m above the floor, and in the rear bedroom, 0.9 m above the floor. Two experiments were compared: MH3 which had the bedroom doors open, and MH5 which had the doors closed. Doors and windows to the outside were closed and the forced air ventilation system was off. The previous values of $\Delta H$ and $\gamma$ for the chair were used, but the source position was taken at $L=43 \mathrm{~cm}$ since the chair rested on the floor in this case. The predicted $C 0$ concentrations for the two experiments are compared with the measured results in Figure 7. The arrows on the predicted curves indicate the time at which the idealized hot layer interface reaches the hall sensor (H) for tests MH3 and MH5 and the bedroom sensor (RB) for MH3. As seen, the predicted results are in good qualitative agreement with the measurements but they are displaced to the left. Although an attempt was made to use the same ignition procedure for the chair, this displacement could be due to lack of reproducibility of the
ignition and early smoldering propagation. The predicted times for
"trjggering" the sensors are about 5 to 10 minutes too early for the hall sensor and 5 minutes later for the rear bedroom sensor. In these mobile home experiments transition to flaming occurred within one hour, but the predicted results could be extended beyond this time according to Eq. (8). If the critical dose of $4.5 \%$-min is selected, it can be shown that the two experiments did not exceed this value before flaming, but the theoretical results would achieve this critical state in about 70 minutes. In view of the degree of agreement with the data, these times are probably a reasonable estimate of hazard for the smoldering chair in the mobile home if flaming does not occur.

Another comparison of theoretical results with experiments was made for the case of a cotton mattress smoldering in a room. Two tests (JR 4 and 19) from Bukowski et al. [9] and the test (SW 13) by Hafner and Yuill [10] for a cotton mattress with a wool blanket were examined. Both rooms were the same size, but in the case of Hafner et al. two windows were open a small amount (see Table I). This was a tenuous application of the theory since the mass loss rate required was not measured for the mattresses. A gross assumption was made that the rate of heat and $C O$ evolution was same as that measured in the NBS test for cotton (T22). The results of this comparison are shown in Figure 8. The prediction follows the data for at least the first 40 minutes but then underestimates the CO concentrations of the JR-tests and significantly overestimates the SW result. Dilution of the room gases by air flow through the windows and/or a different mass loss rate could explain the lower concentrations after 40 minutes in the SW test. Nevertheless it is surprising that the initial smoldering rate of both mattresses appears to be similar to that of the cotton material described by Eq. (8). In any case, more data from these experiments would have to have been available to draw more definite conclusions.

Since the results predicted for the smoldering chair in the mobile home are credible, the data used to describe the smoldering chair were used in a series of calculations. A room was considered with the smoldering source at 0.4 m above the floor. The height of the room was kept fixed at 2.4 m and the floor area was varied to simulate typical residential rooms up to a size representative of a single storey dwelling. Predicted CO concentrations as a function of time for various floor areas are shown in Figure 9. A hypothetical sensor at the mid-height $(y=0.4)$ of the room was used as an indicator of hazard. The time $\left(t_{o}\right)$ for the layer interface to descend to the mid-height and the critical time ( $t^{*}$ ) when a dose of $4.5 \%$-min would be ingested are listed on the figure. It is significant to note that the critical times only vary by a factor of two for room sizes which vary by a factor of twenty. Morever, for this chair example, the layer descends to the mid-height more slowly for larger rooms, but the incremental time ( $t^{*}-t_{0}$ ) to reach the critical dose only varies from 39 to 46 minutes.

It is obvious that these calculated critical times ( $t^{*}$ ) depend on the hazard criterion adopted. The $4.5 \%$-min dose could be considered a mild criterion. If it is increased by a factor of 4 to an $18 \%$-min dose, although some approximations in developing Eq. (6) would be invalidated, this higher criterion is likely to correspond to a lethal condition or a serious incapacitation state [16]. The corresponding critical times would increase to 71 minutes for the $10 \mathrm{~m}^{2}$ room and 178 minutes for the $200 \mathrm{~m}^{2}$ room. This result for the $200 \mathrm{~m}^{2}$ room assumes the chair continues to smolder at $73 \mathrm{~g} / \mathrm{min}$ beyond its known smoldering time of two hours. Thus the higher critical dose criterion
increases the hazard times by less i han a factor of two. This probably represents the precision for which hazard times can be predicted since a hazard level is somewhat subjective.

From Table I a detailed view of smoldering conditions for many experimental fires has been presented. However, in that form it is difficult to draw general conclusions from those results. The mathematical model affords a means of extrapolating results from one test to other conditions, but data are lacking on mass loss rate and CO production to make these calculations. An attempt to generalize the experimental and theoretical results for predicting the $C O$ hazard time is presented in Figure 10. The rationale for selecting the coordinates of the plot is based on the simplification that the filling process is unimportant. Then it follows from Eqns. (8) through (11) for a well-mixed space with a linearly time varying smoldering rate that

$$
\begin{equation*}
D=\frac{c}{6} \frac{\gamma}{\rho} \frac{t^{3}}{v} \tag{15}
\end{equation*}
$$

where $V$ is the volume of the enclosure. The cubic behavior in time results from the successive integration of the smoldering rate to obtain CO concentration and then dose. Thus, the critical time based on a dose of $4.5 \%-\mathrm{min}$. varies as the cube root of the volume and inversely as the CO production rate parameter $\gamma$. Since $\gamma$ appears to not vary greatly, and a is not generally known, volume was used as the primary variable in Figure 10. Also since the smoldering rate will not increase indefinitely in time but is likely to reach a constant value then decrease as fuel is depleted, the critical time may never be achieved. Thus the volume of the space was plotted with the reciprocal of the critical time. These values were determined from Table I. Theoretical results for the chair used in the NBS experiment (see Eq. (8)) in a room of height 2.4 m
with a variable floor area are also plotted. These chair results are based on the $t^{*}$ values shown in Figure 9. The "JR-data" for a smoldering cotton mattress in a closed bedroom and for a bedroom open to other portions of a house tend to parallel the theoretical chair curve. This supports the credibility of the theoretical curve and suggests a family of similar curves with each corresponding to a specific smoldering rate. The range of results for the small volume spaces, indicative of single rooms, reflects the variability in the smoldering rate. Except for the NBS chair data point, the theoretical chair result represents an upper bound to the data. If this is true in general, then the curve could be considered a possible worst case. This suggests that hazardous conditions would arise as quickly as 50 to 100 minutes for typical residential rooms and dwellings.

Conclusions

An idealized mathematical model for the prediction of $C O$ in a closed room due to a smoldering source yields results in good qualitative agreement with experimental observations and data. Good quantitative agreement appears possible provided data on the rate of smoldering and CO production are available. These data are generally lacking and therefore only a limited number of comparisons were possible. Both theory and experiment suggest that critical conditions threatening life safety (based on a $4.5 \%$-min dose criterion) tend to arise in 50 to 100 minutes after ignition. This ignores the possibility of transition to flaming which is not a predictable event at this time.

If the results shown in Figure 1 are representative of accidental fires, then the smoldering state of a residential fire is a significant contributor to fire fatalities relative to smoldering fires which go to a flaming state, provided
the $4.5 \%$-min dose criterion is accepted as a serious hazard level. If one uses the $18 \%$-min criterion, then at least ten percent of the available experimental fires reached this level in the smoldering state. The conditions arising after transition to flaming would be responsible for the remainder of the fatalities, and more than half of the experimental fires reviewed eventually resulted in flaming combustion.

The single-space model suggests that the volume of the space is not a strong influencing factor on the time to reach a hazardous condition (i.e., critical dose time). Data [9] show a two-fold increase in critical time for a ten-fold increase in volume. More complete experiments of smoldering in a residential dwelling need to be examined to determine whether a more sophisticated theoretical model is needed to make predictions. Also the phenomena of smoldering "smoke" movement in a multi-room space needs to be clearly established. As these gases cool they will not be driven by the buoyancy produced from combustion but will follow the natural and forced ventilation characteristics of the building.

If materials were characterized by their rate of smoldering ( $\dot{m}(t)$ ) and their CO production ( $\gamma$ ), the simple model developed here could provide a means of assessing risk. Characteristic mass loss (or CO production) rates need to be measured for smolderable materials in their product configuration. Such a study would quantitatively define the fire problem of smoldering. The use of "small-scale" tests to measure $\gamma$ values appears feasible, but the constancy of $\gamma$ and its variation among materials or configurations needs to be explored.

## Acknowledgement

The authors wish to acknowledge the work of Ken Steckler who developed the computer program for solving the equations used in the model, and to Maya Paabo who supplied specie data on the decomposition products of the cotton and polyurethane materials used in the NBS experiments.

| $a, b, c$ | fixed parameters, |
| :---: | :---: |
| D | dose, Eq. (4) |
| $c_{p}$ | specific heat |
| g | ravitational acceleration |
| H | vertical distance from source to hot layer |
| $\mathrm{H}_{\mathrm{C}}$ | vertical distance from source to ceiling |
| L | vertical distance from source to floor |
| m | mass loss |
| $\dot{\mathrm{m}}$ | mass loss rate |
| Q | rate of energy release |
| Q* | dimensionless heat source, $\dot{Q} /\left(\rho_{o} T_{o} c_{p} / \mathrm{gH}_{\mathrm{c}} \mathrm{H}_{\mathrm{c}}^{2}\right.$ |
| S | floor area |
| t | time |
| t* | critical time at $D=4.5 \%$-min |
| T | Temperature |
| V | volume of room |
| X | volume concentration of CO in percent |
| y | dimensionless distance, $\mathrm{H} / \mathrm{H}_{\mathrm{C}}$ |
| Y | mass concentration of CO |
| 2 | percent saturation of COHb in blood |
| $\alpha$ | entrainment constant, $1 / 5.4$ |
| $\gamma$ | mass ratio of CO produced to mass loss in smoldering |
| $\Delta H$ | effective heat of reaction |
| $\rho$ | density of gas |
| $\tau$ | dimensionless time, $\mathrm{t} \sqrt{\mathrm{g} / \mathrm{H}_{\mathrm{c}}}\left(\mathrm{H}_{\mathrm{c}}^{2} / \mathrm{S}\right)$ |

carbon monoxide
final state
initial state
$0_{2}$
oxygen

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Figure 1. Distribution of Smoldering Experiments in Table I for Occurrence of Critical CO dose and Transition to Flaming.

Figure 2. Idealization Mathematical Model for Smoldering in a Nearly Closed Compartment.

Figure 3. Sketch from a Photograph of a Smoldering Smoke Plume.
Figure 4. Calculated and Measured CO Concentrations for Loosely Packed Bed of Cotton Smoldering in a Closed Room.

Figure 5. Calculated and Measured CO Concentrations for a Block of Flexible Polyurethane Foam Smoldering in a Closed Room.

Figure 6. Calculated and Measured Results for a Chair Smoldering in a Closed Room.

Figure 7. Calculated and Measured CO Concentrations for a Chair Smoldering in a Closed Mobile Home. © Chair location.

Figure 8. Measured Results for Cotton Mattresses Smoldering in a Room Compared with Calculated Values Based on the Smoldering of Loosely Packed Cotton.

Figure 9. Theoretical Results for a Chair Smoldering in Rooms of Various Volume.
Figure 10. A Correlation of CO Critical Time with Room Volume from Table I and Theory.





Figure 3. Sketch from a photograph of a smoldering smoke plume




Figure 6. Calculated and measured results for a chair smoldering in a closed room


Figure 7. Calculated and measured CO concentrations for a chair smoldering in a closed mobile home. © Chair location



Figure 9. Theoretical results for a chair smoldering in rooms of various volume

Figure 10. A correlation of CO critical time with room volume from Table I and theory

## List of Tables

Table IA. Summary of Experimental Results for Smoldering in a Nearly Closed Space.

Table IA. Summary of Experimental Results in a Nearly Closed Space (continued).

Table IB. Summary of Experimental Results for Smoldering in a Nearly Closed Space.

## SUMAARY OF EXPERIMENTAL RESULTS FOR SMOLDERING IN A NEARLY CLOSED SPACE

 TABLE IA| Test <br> Number | Reference | Material | Type of Enclosure* (closed space) | Volume of Enclgsure m | Ventilation Condition |
| :---: | :---: | :---: | :---: | :---: | :---: |
| JR4 | 9 | Cot. mattress | Fedroom (BR) | 37.0 | A.C. |
| JR5 | 9 | Cot. mattress | BR, hall, LR | 247.1 | A.c. |
| JR6 | 9 | Cot. mattress | BR, 1st \& 2nd f1r. | 370.7 | A.C. |
| JR10 | 9 | Cot. mattress | $\begin{aligned} & \text { Bsmt, } \frac{1 \text { st } \mathrm{flr} . ~ h a l l ~}{\text { \& }} \text { \& } \\ & \text { LR. } \end{aligned}$ | 413.2 | A.C. |
| JR12 | 9 | Cot. mattress | Bsmt, 1st \& 2nd flr. | 566.0 | A.C. |
| JR11 | 9 | Cot. box spring | Bsmt, lst f1r. LR \& hall, 2nd flr. hall | 413.2 | A.c. |
| .JR14 | 9 | Chair: cot., ray., acetate | $\text { LR, } 1 \text { st \& 2nd flr. }$ $\text { halls, two } \mathrm{BR}^{\prime} \mathrm{s}$ | 325.5 | Heat |
| JR15 | 9 | Chair: cot., ray. | $\begin{aligned} & \text { LR, 1st \& 2nd flr. } \\ & \text { halls, } B R \end{aligned}$ | 325.5 | None |
| TR17 | 9 | Cot. mattress | BR, 1st \& 2nd f1r. | 370.7 | Heat |
| JR18 | 9 | Cot. mattress | $\begin{aligned} & \frac{\mathrm{BR}, \mathrm{LR}, \mathrm{lst}}{\mathrm{hs} 1 \mathrm{l} \text { \& }} \text { 2nd flr. } \end{aligned}$ | 247.1 | None |
| JR19 | 9 | Cot. mattress | BR | 37.0 | Heat |
| JR22 | 9 | Chair: cot., ray. | Bsat, 1st \& 2nd flr. | 566.0 | Heat |
| JR24 | 9 | Sofa: cot., ny. | Bsmt. 1st \& 2nd flr. | 566.0 | None |
| JR26 | 9 | Couch: cot., ray., ny. | Bsmt, portions of 1st \& 2nd flr. | 501.0 | Heat |
| SW1 | 10 | Cot. inner-spring mattress, ray. tick; cot. muslin sheets | Room | 38.0 | two windows <br> $5 \mathrm{~cm} \times 91 \mathrm{~cm}$ |
| SN4 | 10 | Cot. inner-spring mattress, ray. tick; cot. percale sheets | Room | 38.0 | " " |
| SW'5 | 10 | Cot. inner-spring mattress, ray. tick; cot. sheets | Room | 38.0 | "1" |
| SN6 | 10 | Cot. inner-spring mattress, cot. tick; cot. muslin sheets | Room | 38.0 | "" |
| Sisg | 10 | Cot. inner-spring mattress, ray. tick; cot. muslin sheets; ray., acry. blanket | Room | 33.0 | " " |
| SWIO | 10 | ```Cot. inner-spring mattress, ray. tick; cot. muslin sheets; cot. blariket``` | Roonl | 38.0 | " $"$ |
| SWI1 | 10 | ```Cot. inner-spring mattress, ray. tick; cot. muslin sheets; polyester blanket``` | Room | 38.0 | " " |
| SW1 3 | 10 | ```Cot. inner-spring mattress, ray. tick; cot. muslin sheets; wool blanket``` | Room | 38.0 | " " |
| SW18 | 10 | ```Cot. inner-spring mattress, ray. tick; cot. muslin sheets; acrylic blanket (laundered)``` | Room | 38.0 | " " |
| SW19 | 10 | Cot. inner-spring mattress, tick; cot. muslin sheet; wool blanket (retarded) | Room | 38.0 | $1411$ |

SURMARY OF EXPERIMENTAL RESULTS IN A NEARLY CLOSED SPACE (CONTINUED) TABLE IA

*First room listel contains smoldering material; underlined room is measurement location Note Abbreviations:

| A.C. | - air conditioning |
| :--- | :--- |
| BR | - bedroom |
| LR | - living room |
| Bsmt. | - basement |
| kit. | - kitchen |
| cot. | - cotton |
| ray. | - rayon |
| ny. | nylon |
| acry. | - acrylic |
| polyes. | - polyester |
| polvu. | - polyurethane |

SUMMARY OF EXPERIMENTAL RESULTS FOR SMOLDERING in a NEARLY Closed SPaCE

| Test No. | $\begin{aligned} & \text { Max } \\ & \text { Co } \\ & \% \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Time } \\ & \text { Min. } \end{aligned}$ | $\begin{aligned} & \text { Min. } \\ & 0 \\ & \% \\ & \hline \end{aligned}$ | Time <br> Min. | $\begin{aligned} & \text { Max. } \\ & \mathrm{CO} \\ & \% \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Time } \\ & \text { Min. } \\ & \hline \end{aligned}$ | Max. <br> $\Delta \mathrm{T}$ <br> ${ }^{\circ} \mathrm{C}$ | Time Min. | $\begin{aligned} & \mathrm{max} \\ & \int_{0}^{\mathrm{M}}[\cos \mathrm{dt} \\ & \%-\mathrm{min} \end{aligned}$ | $\begin{aligned} & \text { Time } \\ & \text { Min. } \end{aligned}$ | Critical <br> Dose Time Min. | $\begin{aligned} & \text { Flaming } \\ & \text { Time } \\ & \text { Min. } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| JR4 | 0.39 | 93. | - | - | 1.32 | 92. | 27. | 93. | 11.0 | 93. | 65. | 94.5 |
| JR5 | 0.20 | 51. | - | - | 0.8 | 51. | 29. | 51. | 2.2 | 51. | $\infty$ | 51. |
| JR6 | 0.095 | 73. | - | - | 0.45 | 73. | 15. | 73. | 2.9 | 73. | $\infty$ | $\infty$ |
| JR10 | 0.23 | 137. | - | - | 1.25 | 137. | 5. | 118. | 7.0 | 140. | 125. | $\infty$ |
| JR12 | 0.16 | 140. | - | - | 1.05 | 140. | 14. | 140. | 4.5 | 140. | 140. | $\infty$ |
| JR11 | 0.11 | 130. | - | - | 0.33 | 130. | 11. | 130. | 4.0 | 130. | $\infty$ | 130. |
| JRI 4 | 0.02 | 100. | - | - | 0.1 | 100. | 13. | 100. | < 1.0 | 100. | $\infty$ | $\infty$ |
| JR15 | 0.03 | 80. | - | - | 0.06 | 80. | 0. | 80. | $<1.0$ | 80. | $\infty$ | $\infty$ |
| JR17 | 0.10 | 70. | - | - | 0.55 | 70. | 11. | 70. | 2.3 | 70. | $\infty$ | $\infty$ |
| JR18 | 0.08 | 63. | - | - | 0.34 | 63. | 9. | 63. | 2.2 | 63. | $\infty$ | $\infty$ |
| JR19 | 0.55 | 100. | - | - | 2.5 | 100. | 24. | 100. | 18.0 | 100. | 65. | $\infty$ |
| JR22 | $\sim 0$ | 27. | - | - | $\sim 0$ | 27. | 0. | 27. | < 1.0 | 27. | $\infty$ | 27. |
| JR24 | 0.01 | 107. | - | - | 0.11 | 107. | -2. | 107. | $<1.0$ | 107. | $\infty$ | 107. |
| JR26 | 0.02 | 84. | - | - | 0.15 | 84. | 3. | 85. | $<1.0$ | 86. | $\infty$ | 86. |
| SW1 | 0.2 | 121. | 20.5 | 121. | 0.5 | 121. | 22. | 121. | 3.9 | 121. | $\infty$ | 121. |
| SW4 | 0.4 | 135. | 18. | 135. | 0.3 | 135. | 45. | 155. | 29.4 | 200. | 110. | $\infty$ |
| SW5 | 0.2 | 162. | 20. | 160. | 1.0 | 160. | 15. | 160. | 8.6 | 160. | 130. | 162. |
| SW6 | 0.15 | 118. | 18.5 | 118. | 1.5 | 118. | 60. | 118. | 4.0 | 118. | $\infty$ | 118. |
| SW9 | 0.1 | 91. | 20. | 91. | 0.5 | 91. | 8. | 91. | 4.3 | 91. | $\infty$ | 97. |
| SW10 | 0.15 | 100. | 20. | 100. | 1.0 | 100. | 0. | 100. | 6.5 | 100. | 85. | 100. |
| SW11 | 0.15 | 175. | 20. | 175. | 2.0 | 175. | 15. | 175. | 5.3 | 175. | 165. | 175. |
| SW13 | 0.39 | 220. | 18.4 | 220. | 2.8 | 220. | 61. | 220. | 36.5 | 220. | 70. | $\infty$ |
| Sw18 | 0.1 | 114. | 20. | 114. | 1.0 | 114. | 3. | 114. | 4.8 | 114. | 110. | 114. |
| SW19 | 0.05 | 190. | 20.5 | 190. | 0.5 | 190. | 0. | 190. | $<1.0$ | 190. | $\infty$ | $\infty$ |
| SW21 | 0.22 | 180. | 20.2 | 180. | 1.2 | 180. | 21. | 180. | 13.0 | 180. | 60 | $\infty$ |
| SW23 | 0.05 | 144. | 20. | 144. | 1.0 | 144. | 17. | 144. | 3.8 | 144. | $\infty$ | 144. |
| SW25 | 0.1 | 65. | 20. | 65. | 1.0 | 65. | 6. | 65. | 2.5 | 65. | $\infty$ | 65. |
| SW24 | 0.07 | 77. | 20.4 | 77. | 0.8 | 77. | 0. | 77. | 2.7 | - 77. | $\infty$ | 77. |
| SW26 | 0.05 | 152. | 20. | 152. | 1. | 152. | 4. | 152. | 2.3 | 152. | $\infty$ | 152. |
| SW27 | 0.15 | 124. | 17. | 124. | 1.0 | 124. | 11. | 124. | 6.3 | 124. | 90. | 124. |
| SW28 | 0.1 | 22. | 20.8 | 22. | 0.02 | 22. | 0. | 22. | 1.1 | 22. | $\infty$ | 22. |
| Can 2 | 0.3 | 117. | 17.6 | 120. | 3.0 | 120. | 24. | 118. | 11.1 | 117. | 87. | $\infty$ |
| Can 3 | 0.5 | 108. | 16.0 | 100. | 4.8 | 103. | 35. | 105. | 17.3 | 108. | 69. | $\infty$ |
| MH03 | 0.10 | 57. | - | - | 0.2 | 57. | 2. | 57. | 2.2 | 57. | $\infty$ | 57. |
| MH05 | 0.08 | 46. | - | - | 0.2 | 46. | 2. | 46. | 1.0 | 46. | $\infty$ | 46. |
| FM1 | 0.013 | 38. | 21. | 38. | 0. | 38. | 2. | 38. | $<1.0$ | 39. | $\infty$ | 39. |
| FM2 | 0.011 | 40. | 21. | 40. | 0.04 | 40. | 3. | 40. | $<1.0$ | 41. | $\infty$ | 41 |
| T18 | 0.34 | 79. | - | - | 0.47 | 79. | 13. | 79. | 11.5 | 79. | 58. | 98. |
| T22 | 0.3 | 92. | - | - | 1.6 | 92. | 12. | 75. | 11.7 | 83. | 60. | $\infty$ |
| - | 1.8 | 116. | - | - | - | - | - | - | 90. | 116. | 36. | $\infty$ |

SUMMARY OF EXPERIMENTAL RESULTS FOR SMOLDERING IN A NEARLY CLOSED SPACE
TABLE IA


*First room listed contains smoldering material; underlined room is measurement location
Note Abbreviations:

| A.C. | - air conditioning |
| :--- | :--- |
| BR | - bedroom |
| LR | - living room |
| Bsmt. | - basement |
| kit. | - kitchen |
| cot. | - cotton |
| ray. | - rayon |
| ny. | - nylon |
| acry. | - acrylic |
| polyes. | - polyester |
| polyu. | - polyurethane |


| $\begin{aligned} & \text { Test } \\ & \text { No. } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Max. } \\ & \text { co } \\ & \% \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Time } \\ & \text { Min. } \end{aligned}$ | $\begin{aligned} & \text { Min. } \\ & 0 \\ & \%_{2}^{2} \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Time } \\ & \text { Min. } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Max. } \\ & c_{0} \\ & \% \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Time } \\ & \text { Min. } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Max. } \\ & \Delta \mathrm{T} \\ & { }^{\circ} \mathrm{C} \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Time } \\ & \text { Min. } \end{aligned}$ | $\begin{aligned} & \text { Max } \\ & \int_{0}^{\mathrm{o}}[\mathrm{co}]_{\mathrm{o}} \mathrm{dt} \mathrm{~min} \end{aligned}$ | Time <br> Min. | $\begin{aligned} & \text { Critical } \\ & \text { Dose Time } \\ & \text { Min. } \end{aligned}$ | $\begin{aligned} & \text { Flaming } \\ & \text { Time } \\ & \text { Min. } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| JR4 | 0.39 | 93. | - | - | 1.32 | 92. | 27. | 93. | 11.0 | 93. | 65. | 94.5 |
| JR5 | 0.20 | 51. | - | - | 0.8 | 51. | 29. | 51. | 2.2 | 51. | $\infty$ | 51. |
| JR6 | 0.095 | 73. | - | - | 0.45 | 73. | 15. | 73. | 2.9 | 73. | $\infty$ | $\infty$ |
| JR10 | 0.23 | 137. | - | - | 1.25 | 137. | 5. | 118. | 7.0 | 140. | 125. | $\infty$ |
| JR12 | 0.16 | 140. | - | - | 1.05 | 140. | 14. | 140. | 4.5 | 140. | 140. | $\infty$ |
| JR11 | 0.11 | 130. | - | - | 0.33 | 130. | 11. | 130. | 4.0 | 130. | $\infty$ | 130. |
| JR14 | 0.02 | 100. | - | - | 0.1 | 100. | 13. | 100. | < 1.0 | 100. | ${ }^{\infty}$ | $\infty$ |
| JR15 | 0.03 | 80. | - | - | 0.06 | 80. | 0. | 80. | < 1.0 | 80. | $\infty$ | $\infty$ |
| JR17 | 0.10 | 70. | - | - | 0.55 | 70. | 11. | 70. | 2.3 | 70. | $\infty$ | $\infty$ |
| JR18 | 0.08 | 63. | - | - | 0.34 | 63. | 9. | 63. | 2.2 | 63. | $\infty$ | $\infty$ |
| JR19 | 0.55 | 100. | - | - | 2.5 | 100. | 24. | 100. | 18.0 | 100. | 65. | $\infty$ |
| JR22 | $\sim 0$ | 27. | - | - | $\sim 0$ | 27. | 0. | 27. | < 1.0 | 27. | $\infty$ | 27. |
| JR24 | 0.01 | 107. | - | - | 0.11 | 107. | -2. | 107. | < 1.0 | 107. | $\infty$ | 107. |
| JR26 | 0.02 | 84. | - | - | 0.15 | 84. | 3. | 85. | < 1.0 | 86. | $\infty$ | 86. |
| SW1 | 0.2 | 121. | 20.5 | 121. | 0.5 | 121. | 22. | 121. | 3.9 | 121. | $\infty$ | 121. |
| SW4 | 0.4 | 135. | 18. | 135. | 0.3 | 135. | 45. | 155. | 29.4 | 200. | 110. | $\infty$ |
| SW5 | 0.2 | 162. | 20. | 160. | 1.0 | 160. | 15. | 160. | 8.6 | 160. | 130. | 162. |
| sw6 | 0.15 | 118. | 18.5 | 118. | 1.5 | 118. | 60. | 118. | 4.0 | 118. | $\infty$ | 118. |
| Sw9 | 0.1 | 91. | 20. | 91. | 0.5 | 91. | 8. | 91. | 4.3 | 91. | $\infty$ | 97. |
| SW10 | 0.15 | 100. | 20. | 100. | 1.0 | 100. | 0. | 100. | 6.5 | 100. | 85. | 100. |
| sw11 | 0.15 | 175. | 20. | 175. | 2.0 | 175. | 15. | 175. | 5.3 | 175. | 165. | 175. |
| Sw13 | 0.39 | 220. | 18.4 | 220. | 2.8 | 220. | 61. | 220. | 36.5 | 220. | 70. | $\infty$ |
| SW18 | . 0.1 | 114. | 20. | 114. | 1.0 | 114. | 3. | 114. | 4.8 | 114. | 110. | 114. |
| SW19 | :0.05 | 190. | 20.5 | 190. | 0.5 | 190. | 0. | 190. | < 1.0 | 190. | $\infty$ | $\infty$ |
| SW21 | 0.22 | 180. | 20.2 | 180. | 1.2 | 180. | 21. | 180. | 13.0 | 180. | 60 | $\infty$ |
| SW23 | 0.05 | 144. | 20. | 144. | 1.0 | 144. | 17. | 144. | 3.8 | 144. | $\infty$ | 144. |
| SW25 | 0.1 | 65. | 20. | 65. | 1.0 | 65. | 6. | 65. | 2.5 | 65. | ${ }^{\infty}$ | 65. |
| SW24 | 0.07 | 77. | 20.4 | 77. | 0.8 | 77. | 0. | 77. | 2.7 | 77. | $\infty$ | 77. |
| SW26 | 0.05 | 152. | 20. | 152. | 1. | 152. | 4. | 152. | 2.3 | 152. | ${ }^{\infty}$ | 152. |
| SW27 | 0.15 | 124. | 17. | 124. | 1.0 | 124. | 11. | 124. | 6.3 | 124. | 90. | 124. |
| SW28 | 0.1 | 22. | 20.8 | 22. | 0.02 | 22. | 0. | 22. | 1.1 | 22. | $\infty$ | 22. |
| Can 2 | 0.3 | 117. | 17.6 | 120. | 3.0 | 120. | 24. | 118. | 11.1 | 117. | 87. | $\infty$ |
| Can 3 | 0.5 | 108. | 16.0 | 100. | 4.8 | 103. | 35. | 105. | 17.3 | 108. | 69. | $\infty$ |
| мн03 | 0.10 | 57. | - | - | 0.2 | 57. | 2. | 57. | 2.2 | 57. | $\infty$ | 57. |
| MH05 | 0.08 | 46. | - | - | 0.2 | 46. | 2. | 46. | 1.0 | 46. | $\infty$ | 46. |
| FM1 | 0.013 | 38. | 21. | 38. | 0. | 38. | 2. | 38. | < 1.0 | 39. | $\infty$ | 39. |
| FM2 | 0.011 | 40. | 21. | 40. | 0.04 | 40. | 3. | 40. | < 1.0 | 41. | $\infty$ | 41 |
| T18 | 0.34 | 79. | - | - | 0.47 | 79. | 13. | 79. | 11.5 | 79. | 58. | 98. |
| $\underline{\mathrm{T} 22}$ | 0.3 | 92. | - | - | 1.6 | 92. | 12. | 75. | 11.7 | 83. | 60. | $\infty$ |
| - | 1.8 | 116. | - | - | - | - | - | - | 90. | 116. | 36. | ${ }^{\infty}$ |


12. KEY WORDS (Six to twelve entries; alphabetical order; capitalize only proper names; and separate key words by semicolons) Building fires; carbon monoxide; compartment fires; smoldering
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[^0]:    "GM is a material from the material bank of the Product Research Committee, described in Fire Research on Cellular Plastics: The Final Report of the Products Research Committee, Lib. Cong. No. 80-83306, (1980).

