# Heat Capacity; Heats of Fusion, Vaporization, and Transition; and Vapor Pressure of *N*-Dimethylaminodiborane, (CH<sub>3</sub>)<sub>2</sub>NB<sub>2</sub>H<sub>5</sub>

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The heat capacity of N-dimethylaminodiborane was determined in the temperature range from 17° to  $285^{\circ}$ K by means of an adiabatic calorimeter. A first-order solid-solid transition was found at  $199.9\pm0.1^{\circ}$ K, with a latent heat of 7794 abs j mole<sup>-1</sup>. The triple-point temperature was found to be  $218.4\pm0.2^{\circ}$ K, and the heat of fusion to be  $1,408\pm30$  abs j mole<sup>-1</sup>. The measurements of the heat of vaporization at  $271.60^{\circ}$ K (94.3 mm Hg) yielded  $30,119\pm30$  abs j mole<sup>-1</sup>. The results of the vapor-pressure measurements from  $220^{\circ}$  to  $290^{\circ}$ K can be represented by the equation

The data were used to construct a table of smoothed values of heat capacity, enthalpy, entropy, and Gibbs free energy from  $0^{\circ}$  to  $285^{\circ}$ K. The entropy of *N*-dimethylaminodiborane in the ideal gas state at 1 atm and  $271.60^{\circ}$ K was computed from the data to be  $302.3 \pm 0.6$  abs j deg<sup>-1</sup> mole<sup>-1</sup> ( $72.25 \pm 0.14$  cal deg<sup>-1</sup> mole<sup>-1</sup>).

## 1. Introduction

Many boron hydrides and other boron-containing compounds are relatively unstable and undergo various disproportionation reactions. These equilibria are complicated in many cases by the large number of different compounds produced in the reaction. The dearth of thermodynamic information regarding these substances prevents computation of the degree of thermal and chemical stability. Also, there is considerable interest in these materials from the standpoints of their structure and of practical applications. In view of these considerations, a program of thermodynamic study was initiated to aid in the better understanding of boron-containing compounds. This paper deals with the determination of heat capacity, heats of fusion, vaporization, and transition, and vapor pressure, and with the computation of the thermal properties of N-dimethylaminodiborane,  $(CH_3)_2NB_2H_5$ .

## 2. Apparatus and Method

Measurements of the heat capacity and the heats of fusion and transition were carried out in an adiabatic calorimeter similar in design to that described by Southard and Brickwedde [1]<sup>1</sup>. The details of the design and operation of the calorimeter have been previously given by Scott et al. [2].

In the measurements of the gross (sample plus container) heat capacities at the lower temperatures, where the heat-capacity curve has a large curvature, the temperature interval of heating,  $\Delta T$ , was made small in order to minimize the curvature correction; from 17° to 30°K  $\Delta T$  was 1 to 3 deg, from 30° to 60°K it was increased from 3 to 5 deg, and above

<sup>1</sup> Figures in brackets indicate the literature references at the end of this paper.

 $60^{\circ}$ K it was as much as 8 deg. Also, in the transition range (discussed in section 4 of this paper)  $\Delta T$  was made small to obtain as closely as possible the shape of the heat-capacity curve, as well as to minimize the curvature correction. The curvature corrections [2] were made whenever significant using the relation

$$Z_{T_m} = \frac{Q}{\Delta T} - \left(\frac{\partial 2_Z}{\partial T^2}\right)_{T_m} \frac{(\Delta T)^2}{24} \dots, \qquad (1)$$

where Z is the heat capacity,  $T_m$  the mean temperature of the temperature interval  $\Delta T$ , and Q the energy input. The net heat capacities were obtained by subtracting the tare (empty container) heat capacities from the gross heat capacities after the necessary curvature corrections have been made. The tare heat capacities at the temperatures of the observed gross heat capacities were obtained by four-point Lagrangian interpolation [3] in a table of smoothed tare heat capacities given at 1-deg intervals.

At the higher temperatures, where the vapor pressure became significant, corrections were applied to the net heat capacities for the heat of vaporization and for the mass of vapor in the filling tube. The corrections were determined by using the following relation [4]

$$C_{\text{satd}} = M \frac{C_{\text{net}} - T_m \frac{d}{dT} \left\{ \frac{dp}{dT} [V - (m - m_t) v_c] \right\} - l \frac{dm_t}{dT}}{m - m_t},$$
(2)

where  $C_{\text{satd}}$  is the molal heat capacity of the condensed phase at saturation pressure, M the molecular weight of the material,  $C_{\text{net}}$  the net heat capacity, pthe vapor pressure at  $T_m$ , V the volume of the calorimeter, m the total mass of sample,  $m_l$  the mass of vapor in the filling tube,  $v_c$  the specific volume of the condensed phase, and l the heat of vaporization of unit mass of sample at  $T_m$ . This correction at the highest temperature (285°K) of the measurements amounted to 0.15 percent.

The heat-of-vaporization experiments were made in another adiabatic calorimeter similar in design to those described by Osborne and Ginnings [5] and by Aston et al. [6]. The details of the design and operation can be found in these references.

For the vapor-pressure measurements, the calorimeter used in the heat-capacity experiments was connected to a mercury manometer, which was read by means of a mirror-backed calibrated glass scale. The calorimeter served as a thermostated container, and the vapor-pressure measurements were generally made at successively higher temperatures. As no provision was made to stir the sample, several measurements were made at successively lower temperatures as a check on the equilibrium of the sample. These two series of results, one obtained going up and the other going down the temperature scale, did not differ significantly. The pressure readings were converted to standard mm Hg (g= 980.665 cm sec<sup>-2</sup>, temperature=0°C) on the basis that the local gravity is 980.076 cm sec<sup>-2</sup>.

Temperatures above 90°K were determined in accordance with the International Temperature Scale [7]. Below 90°K, a provisional scale was used, which is based on a set of platinum resistance thermometers calibrated against a helium-gas thermometer [8]. All electrical instruments and accessory equipment were calibrated at the Bureau. The atomic weights used were based on the values given in the 1952 Report of the Committee on Atomic Weights of the American Chemical Society [9].

## 3. Sample and Its Purity and Heat of Fusion

About 200 ml of the material was originally received in a break-seal ampoule; after degassing, by repeated freezing, pumping, and melting, approximately one-half of this material was transferred by vacuum distillation into a weighing flask for calorimetric studies. The sample in the weighing flask was degassed further, first by pumping at about  $-70^{\circ}$ C and later by freezing, pumping, and melting three times. Following this treatment the sample (59.0725 g) was transferred immediately into the calorimeter.

The purity of the sample was determined prior to the heat-capacity measurements from its equilibrium melting temperatures. In this method all the impurity is assumed to remain in the liquid phase and not to form a solid solution with N-dimethylaminodiborane, and Raoult's law of solution is assumed to be applicable throughout the whole range of impurity concentration. The observed equilibrium melting temperatures are plotted versus the reciprocal of the corresponding fractions of the material melted, 1/F. The fraction melted is obtained from the energy input, heat capacity, and heat of fusion. The product of the cryscopic constant,  $\Delta H_f/R T_{tp}^2$ , and the slope of the temperature versus 1/F curve is the mole fraction impurity. In the cryscopic constant,  $\Delta H_f$  is the heat of fusion, R the gas constant, and  $T_{tp}$  the triplepoint temperature. The extrapolated temperature intercept (at 1/F=0) of the temperature versus 1/Fplot is taken as the triple-point temperature of the pure material. The results of the measurements and subsequent computation are summarized in table 1. The cryscopic constant used was 0.0036 deg<sup>-1</sup>.

TABLE	1.	Equilibrium melting temperatures of	f
		N-dimethylaminodiborane	

Mole fraction impurity=0.0036  $\Delta T$ , °K=°C+273.16°

tion melted, $1/F$	Т
7 50	°K
4.89	217.2538 217.5751
3.39	217.7886
2.51	217.9303
0.00	<sup>218</sup> . 1683 <sup>b</sup> 218. 4
	****

<sup>a</sup>The temperatures given are accurate to  $0.01^{\circ}$ K. Whenever temperatures are expressed to the fourth decimal, the last two figures are significant only in the measurement of small temperature differences. <sup>b</sup>Extrapolated.

The heat of fusion was determined in the usual manner by heating continuously from a temperature a few degrees below the triple-point temperature to just above it and by correcting for heat capacity and for premelting caused by the presence of impurity. (Certain amounts of material are already melted at temperatures just below the triple-point temperature. The amount melted is dependent upon the impurity content, the cryoscopic constant, and the closeness of the temperature to the triple-point temperature.) The experimental heat capacities in the region just below the triple-point temperature were found to have apparently high values caused by the premelting of the sample. The premelting corrections calculated from the impurity content did not seem to correct the observed heat capacities satisfactorily. The final values of heat capacity in this region (see table 6) were obtained after revising the observed values by a combination of premelting correction and extrapolation. These corrections were not particularly accurate, consequently the heat capacities are believed to have large errors, probably as much as several percent. The calculated value of the heat of fusion, which is relatively small, has a large percentage uncertainty resulting from the inaccuracies in the heat capacity and premelting corrections.

The results of the heat-of-fusion measurements and computations are summarized in table 2. Considering the various known sources of uncertainties, such as premelting and heat capacity corrections mentioned in the previous paragraph, energy measurements, heat leaks, and mass of sample, the heat of fusion is probably accurate to  $\pm 30$  abs j mole<sup>-1</sup>.

TABLE 2. Molal heat of fusion of N-dimethylaminodiborane Molecular weight=70.756, triple-point temperature=218.4°K  $^{\circ}K = ^{\circ}C + 273.16^{\circ}$ 

Corrections Heat  $\Delta H_{f}$ Temperature interval input Heat Premeltcapacity ing  $\substack{abs \; j \; mole^{-1} \\ 1405. \; 8 \\ 1399. \; 8}$  $abs\ j\ mole^{-1}$ -953. 3 abs j mole-1 abs i mole-61.077.270.6214.2928 to 221.3568 a 2298.1215.1552 to 220.2458 214.8542 to 221.2065 2008.02210.0-685.4-859.61421.0213.7353 to 221.5915 2408.3 -1058.453 7 1403.6 1407.6Mean  $^{\pm 4.7 \text{ b}}_{\pm 30}$ Standard deviation of the mean. Estimated uncertainty

 $^{\rm a}$  The temperatures given are accurate to  $\pm 0.01^{\circ}{\rm K}.$  Figures beyond the second decimal are significant only insofar as small temperature differences are concerned

b Standard deviation of the mean as used here and in table 4 is defined as  $[\Sigma d^d/n(n-1)]^{4/2}$ , where d is the difference between a single observation and the mean, and n is the number of observations.

# 4. Heat Capacity and Heat of Transition

Measurements of the heat capacity were made from about 17° to 285° K; corrections for curvature (see eq 1) and vaporization (see eq 2) were applied to the observed values wherever significant. The equation for the liquid density reported by Burg and Randolph [10], based on their experimental measurements, was used in making the vaporization corrections. The density equation was extended below its experimental temperature range whenever required. As the corrections become smaller at lower temperatures (at the highest temperature of the measurements, 285° K, the vaporization correction was 0.15 percent of the net heat capacity), the error in the extrapolation is considered to have negligible effect on the final observed heat-capacity values given in table 3 and figure 1.

The values given in table 3, although corrected for vaporization and curvature wherever significant. have not been corrected for premelting in the region just below the triple-point temperature. As mentioned in section 3, considerable premelting effects were observed in the apparently high values of heat capacity. In calculating the final smoothed values of heat capacities given in table 6 of section 7, the observed values were first revised by a combination of premelting correction and extrapolation. The revisions made are believed to be highly inaccurate, consequently the uncertainty in the heat capacity of this region may be as high as several percent. At other regions of temperature, except below about  $60^{\circ}$  K, the heat capacity is probably accurate to  $\pm 0.2$  percent. Below  $60^{\circ}$  K the probable error in the values is believed to increase to about 1 percent largely due the smaller temperature interval of heating, smaller energy input, and decreased sensitivity of the thermometer.

Because of the relatively low heat of fusion and the large premelting effect observed, the solid-solid transition occurring between  $195^{\circ}$  and  $205^{\circ}$  K was originally thought to arise from the melting of a eutectic mixture. A close examination of the heat capacity between  $200^{\circ}$  K and the triple-point tem-

TABLE 3. Observed heat capacity of N-dimethylaminodiborane

Molecular weight=70.756,  $^{\circ}K=^{\circ}C+273.16^{\circ}$ 

$T_m^{a}$	$\Delta T$	$C_{\rm satd}$					
RUN 1							
<sup>o</sup> K 207, 7381 <sup>b</sup> 209, 4220 211, 2787 213, 2921 215, 2246 216, 7813 217, 8016 219, 7768 222, 8033 225, 6900	$^{\circ}K$ 1. 6866 1. 6811 2. 0324 2. 0014 1. 8635 1. 2500 0. 7906 3. 1599 2. 8930 2. 8803	$ \begin{array}{c} abs \ j \ deg^{-1} \ mole^{-1} \\ 125, 62 \\ 126, 16 \\ 127, 52 \\ 129, 45 \\ 146, 63 \\ 271, 62^{\circ} \\ 1090, 6^{\circ} \\ 260, 51^{\circ} \\ 142, 60 \\ 143, 31 \end{array} $					
	RUN 2						
$\begin{array}{c} 213.\ 7044\\ 215.\ 9800\\ 217.\ 0293\\ 217.\ 4144\\ 217.\ 8518\\ 217.\ 8594\\ 218.\ 0493\\ 219.\ 2070\\ 221.\ 0258 \end{array}$	$\begin{array}{c} 2,9016\\ 1,6496\\ 0,4490\\ ,3213\\ ,2135\\ ,1417\\ ,2380\\ 2,0775\\ 1,5599 \end{array}$	$\begin{array}{c} 133.85\\ 175.53\\ 283.33^\circ\\ 435.26^\circ\\ 710.27^\circ\\ 1125.4^\circ\\ 1868.1^\circ\\ 334.84^\circ\\ 142.39\end{array}$					
	RUN 3						
$\begin{array}{c} 221,4889\\ 222,6082\\ 225,4610\\ 230,2422\\ 235,2658\\ 240,2574\\ 245,2123\\ 250,1228\\ 254,9938\\ \end{array}$	$\begin{array}{c} 1.1212\\ 1.1173\\ 4.5204\\ 5.0420\\ 5.0053\\ 4.9779\\ 4.9318\\ 4.8891\\ 4.8530\\ \end{array}$	$\begin{array}{c} 142.48\\ 142.79\\ 143.45\\ 144.64\\ 145.84\\ 147.10\\ 148.45\\ 149.76\\ 151.13\end{array}$					
RUN.4							
$\begin{array}{c} 90.\ 0286\\ 93.\ 6566\\ 98.\ 6392\\ 104.\ 0464\\ 108.\ 8120\\ 115.\ 3404\\ 123.\ 2074\\ 130.\ 7321\\ 137.\ 9640\\ 144.\ 9421\\ 151.\ 7720\\ 158.\ 4743 \end{array}$	$\begin{array}{c} 2, 1671 \\ 5, 0887 \\ 4, 8765 \\ 4, 5293 \\ 5, 0019 \\ 8, 0549 \\ 7, 6791 \\ 7, 3702 \\ 7, 0936 \\ 6, 8626 \\ 6, 7973 \\ 6, 6072 \end{array}$	$\begin{array}{c} 59.266\\ 61.123\\ 63.660\\ 66.449\\ 68.925\\ 72.254\\ 76.304\\ 80.148\\ 83.826\\ 87.357\\ 90.867\\ 94.374\end{array}$					
	RUN 5						
$\begin{array}{c} 160.\ 7098\\ 167.\ 1356\\ 173.\ 3990\\ 179.\ 5152\\ 185.\ 4870\\ 191.\ 3747\\ 196.\ 9508\\ 199.\ 7366 \end{array}$	$\begin{array}{c} 6.\ 5065\\ 6.\ 3451\\ 6.\ 1939\\ 6.\ 0384\\ 5.\ 4870\\ 5.\ 8702\\ 5.\ 2820\\ 0.\ 2896 \end{array}$	95. 657 99. 198 102. 63 106. 54 110. 43 115. 28 138. 82 4359. 1 °					
	RUN 6						
$\begin{array}{c} 189.\ 8876\\ 194.\ 2642\\ 198.\ 4696\\ 199.\ 8516\\ 199.\ 9228\\ 199.\ 9497\\ 201.\ 2234\\ 203.\ 3206 \end{array}$	$\begin{array}{c} 2, 9971 \\ 5, 7560 \\ 2, 6549 \\ 0, 1089 \\ 0337 \\ 0200 \\ 2, 5273 \\ 1, 6672 \end{array}$	$\begin{array}{c} 113.53\\ 118.91\\ 379.67 \circ\\ 11730 \circ\\ 38081 \circ\\ 96316 \circ\\ 1155.1 \circ\\ 124.69\end{array}$					
	RUN 7						
$\begin{array}{c} 202.\ 3303\\ 204.\ 8100\\ 210.\ 6664\\ 218.\ 0304\\ 222.\ 4840 \end{array}$	$\begin{array}{c} 1.\ 6582\\ 3.\ 3011\\ 8.\ 3755\\ 6.\ 3523\\ 2.\ 5551 \end{array}$	$\begin{array}{c} 124.25\\ 124.70\\ 126.85\\ 347.90^{\circ}\\ 142.70\end{array}$					

203

#### TABLE 3. Observed heat capacity of N-dimethylaminodiborane-Continued

Molecular weight=70.756,  $^{\circ}K = ^{\circ}C + 273.16^{\circ}$ 

$T_m^{a}$	$\Delta T$	$C_{\rm satd}$				
	RUN 8					
$^{\circ}K$ 190. 2736 194. 4084 199. 1227 203. 0568 205. 5710 210. 2804 217. 6634	${}^{\circ}K$ 4. 1895 4. 0799 5. 3488 2. 5193 2. 5092 6. 9097 7. 8562	$\begin{array}{c} abs  j  deg^{-1}  mole^{-1} \\ 113,  94 \\ 119,  06 \\ 1573,  3  \circ \\ 124,  82 \\ 125,  47 \\ 127,  06 \\ 306,  55  \circ \end{array}$				
	RUN 9					
$\begin{array}{c} 17.\ 5414\\ 19.\ 0626\\ 20.\ 3464\\ 21.\ 7180\\ 23.\ 1742\\ 24.\ 4628\\ 26.\ 4766\\ 29.\ 3340\\ 32.\ 3968\\ 35.\ 7151\\ 39.\ 4570\\ 44.\ 5193\\ 50.\ 1185\\ 55.\ 5076\\ 61.\ 3216\\ 67.\ 0340\\ 73.\ 2088\\ 79.\ 8362\\ 86.\ 2264\\ 93.\ 0664\\ \end{array}$	$\begin{array}{c} 1.\ 6646\\ 1.\ 3777\\ 1.\ 1901\\ 1.\ 5530\\ 1.\ 3594\\ 1.\ 2179\\ 2.\ 8095\\ 2.\ 9055\\ 3.\ 2200\\ 3.\ 4166\\ 4.\ 0671\\ 6.\ 0576\\ 5.\ 1408\\ 5.\ 0373\\ 5.\ 9909\\ 5.\ 4338\\ 6.\ 9159\\ 6.\ 3387\\ 6.\ 4418\\ 7.\ 7382 \end{array}$	$\begin{array}{c} 7,864\\ 9,434\\ 10,821\\ 12,282\\ 13,830\\ 15,299\\ 17,414\\ 20,328\\ 23,325\\ 26,400\\ 29,444\\ 33,154\\ 36,970\\ 40,288\\ 43,719\\ 47,017\\ 50,598\\ 53,844\\ 57,397\\ 60,922\\ \end{array}$				
	RUN 10					
$\begin{array}{c} 247,2118\\ 252,7154\\ 257,5652\\ 263,5702\\ 270,7090\\ 277,8226\\ 284,9132 \end{array}$	$\begin{array}{c} 6.1379\\ 4.8691\\ 4.8305\\ 7.1796\\ 7.0979\\ 7.1295\\ 7.0515 \end{array}$	$\begin{array}{c} 149.19\\ 150.72\\ 152.10\\ 153.73\\ 155.98\\ 158.20\\ 160.74 \end{array}$				

<sup>a</sup>  $T_m$  is the mean temperature of the heating interval. <sup>b</sup> The temperatures given are accurate to  $\pm 0.01^{\circ}$  K. Figures beyond the second decimal are significant only insofar as small temperature differences are concerned.

• These are apparently high values obtained in the temperature region of the solid-solid transition and the triple point.



FIGURE 1. Observed heat capacity of N-dimethylaminodiborane.

perature suggested, however, that the discontinuity in the heat capacity is probably from a solid-solid transition. The transition was found to involve a large latent heat. The enthalpy change from  $190^{\circ}$ to 205° K was determined, in which two measurements from runs 6 and 8 (see tables 3 and 7) gave 9570.4 and 9573.8 abs j mole<sup>-1</sup>, respectively. These values were obtained by summing the various input energies in this temperature range and by correcting to the even temperature interval. The results of the heat-capacity measurements (see table 3, runs 6 and 8) suggest that the peak or the transition temperature is 199.9  $\pm 0.1^{\circ}$  K. The latent heat associated with the transition was estimated from the enthalpy change from 190° to 205° K and the extrapolated heat capacity in this region to be 7794 abs j mole<sup>-1</sup>.

# 5. Heat of Vaporization

The heat-of-vaporization experiments were made at 271.60° K (94.3 mm Hg). The experimentally determined quantity  $\gamma$ , the energy input per mole of sample collected [11], is related to the molal heat of vaporization  $\Delta H_{\nu}$ , by the expression

$$\Delta H_V = \gamma - T \mathcal{U} \frac{dp}{dT} \tag{3}$$

where  $\mathcal{U}$  is the molal volume of the liquid, T the absolute temperature of vaporization, and p the vapor pressure. The molal volume of the liquid was obtained by extrapolating, a few degrees, the density equation ( $0^{\circ}$  to  $25^{\circ}$  C) given by Burg and Randolph [10]. The temperature derivative of the vapor pressure, dp/dT, was obtained by differentiating with respect to temperature the vapor-pressure equation (eq 4). The results of the heat-of-vaporization measurements and computations are summarized in table 4. Considering various known sources of error and the precision of the measurements, a probable error of  $\pm 30$  abs j mole<sup>-1</sup> is assigned to the heat of vaporization.

Table 4. Heat of vaporization of N-dimethylaminodiborane at  $271.60^{\circ}$  K Molecular weight = 70.756, pressure = 94.3 mm Hg

γ	$T\mathcal{U}(dp/dT)$	$\Delta H_V$
abs j mole-1	abs j mole-1	abs j mole-
30, 144	18	30, 126
30, 127	18	30, 109
30, 141	18	30, 123
Mean	30, 119	
mean	$+5^{a}$	
Estimated up	ncertainty	+30

<sup>a</sup> See footnote b. table 2.

The heat of vaporization computed in accordance with the Clapevron equation gave 29,900 abs j mole<sup>-1</sup>. which is in fair agreement with the experimental value obtained. In the computation the vapor was assumed to follow the Berthelot equation of state, the constants ( $T_c=485^{\circ}$  K and  $p_c=36$  atm) of which were estimated according to  $T_b=2/3T_c$  and the method described by Walden [12], respectively. The sources of the dp/dT and the molal volume of the liquid phase were those mentioned in the previous paragraph.

## 6. Vapor Pressure

The results of the vapor-pressure measurements, made from about  $220^{\circ}$  to  $290^{\circ}$ K, can be represented by the equation

$$\log_{10} p_{\rm mm \ Hg} = 406.5734/T + 5.2095614 \times 10^{-2}T + 1.01048 \times 10^{-5}T^2 - 1.390588 \times 10^{-7}T^3 - 11.63086.$$
(4)

The constants were determined by the method of least squares. In column 4 of table 5 are given the deviations of the observed values from the calculated values based on this equation. There are also given in this table the vapor-pressure results obtainable from the equation

$$\log_{10} p_{\rm mm \, Hg} = -1727.64/T + 1.75 \log_{10} T \\ -0.004661T + 5.3370, \tag{5}$$

reported by Burg and Randolph [10] based on their experimental results from about  $-36^{\circ}$  to  $50^{\circ}$  C.

Attempts were made to carry out vapor-pressure measurements at higher temperatures in an isoteniscope. However, it was found that even at 300°K the vapor pressure increased, presumably due to decomposition, over an extended time in the isoteni-

TABLE 5. Vapor pressure of N-dimethylaminodiborane  $^{\circ}K=^{\circ}C+273.16^{\circ}$ 

T	p, obs	p, calca	$\Delta p$ , obs-calc	p, [10]		
SERIES I						
°K	$mm~{ m Hg}$	mm Hg	$mm~{ m Hg}$	$mm~{ m Hg}$		
$\begin{array}{c} 234.\ 71 \\ 237.\ 51 \\ 242.\ 75 \\ 249.\ 25 \\ 249.\ 29 \\ 264.\ 48 \\ 261.\ 95 \\ 264.\ 86 \\ 274.\ 56 \\ 268.\ 89 \\ 271.\ 33 \\ 273.\ 50 \\ 283.\ 22 \\ 283.\ 22 \\ 287.\ 18 \\ \end{array}$	$\begin{array}{c} 12.\ 1\\ 14.\ 8\\ 19.\ 8\\ 23.\ 8\\ 29.\ 0\\ 43.\ 2\\ 57.\ 7\\ 67.\ 3\\ 82.\ 4\\ 92.\ 8\\ 103.\ 5\\ 162.\ 5\\ 193.\ 3\end{array}$	$\begin{array}{c} 12.\ 2\\ 14.\ 5\\ 19.\ 8\\ 23.\ 3\\ 28.\ 9\\ 43.\ 1\\ 57.\ 8\\ 67.\ 2\\ 82.\ 5\\ 93.\ 1\\ 103.\ 5\\ 162.\ 4\\ 193.\ 0 \end{array}$	$\begin{array}{c} -0.1 \\ +.3 \\ 0 \\ +.5 \\ +.1 \\ +.1 \\1 \\3 \\ 0 \\ +.1 \\ +.3 \end{array}$	$\begin{array}{c} 10.\ 7\\ 13.\ 0\\ 18.\ 3\\ 21.\ 9\\ 27.\ 5\\ 411.\ 8\\ 56.\ 6\\ 66.\ 1\\ 81.\ 4\\ 92.\ 0\\ 102.\ 4\\ 161.\ 5\\ 192.\ 4 \end{array}$		
		SERIES II				
219. 79         227. 78         236. 55         248. 82         255. 98         258. 91         260. 53         266. 54	$\begin{array}{c} 4.8\\ 7.8\\ 13.5\\ 28.4\\ 41.6\\ 49.0\\ 53.8\\ 73.0 \end{array}$	$\begin{array}{c} 4.8\\ 8.0\\ 13.7\\ 28.1\\ 41.8\\ 49.1\\ 53.6\\ 73.2 \end{array}$	$\begin{array}{c} & & & \\ &2 \\ & +.3 \\ &3 \\ &1 \\ & +.2 \\ &2 \end{array}$	$\begin{array}{c} 3. \ 6\\ 6. \ 6\\ 12. \ 2\\ 26. \ 7\\ 40. \ 7\\ 47. \ 8\\ 52. \ 4\\ 72. \ 1\end{array}$		
	SERIES III					
218. 28 226. 05 245. 19 260. 15	$\begin{array}{c} 4.4 \\ 7.3 \\ 22.5 \\ 52.3 \end{array}$	$\begin{array}{r} 4.4 \\ 7.2 \\ 22.8 \\ 52.5 \end{array}$	0 + .132	3.2 5.8 21.4 51.3		

scope. The average increase over several days was about 0.01 mm Hg per hour at this temperature. Consequently, the results with the isoteniscope have not been considered in this paper.

# 7. Derived Thermal Properties

Empirical equations were fitted to the observed heat capacities and the deviations from the equa-

TABLE 6.	Heat capacity energy of N-	, enthalpy, e dimethylamin	ntropy, and odiborane	Gibbs	free

Molecular weight=70.756, °K=°C+273.16°

T	$C_{ m satd}$	$(H_T - H_0 \circ_{\mathbf{K}})_{\mathrm{satd}} (S_T - S_0 \circ_{\mathbf{K}})_{\mathrm{satd}}$		-(FT-H0°K)satd
${}^{\circ}K$ 0 5 10 15 20		abs j mole-1 0 0.2671 .4268 20.96 60.00	$\begin{array}{cccc} abs \ j \ mole{-1} \\ 0 \\ 0 \\ 0 \\ . \ 2671 \\ . \ 4268 \\ 20. \ 96 \\ 60. \ 00 \\ . \ 874 \\ . \ 81 \\ \end{array}$	
$25 \\ 30 \\ 35 \\ 40 \\ 45$	15. 86 20. 99 25. 77 29. 86 33. 50	$\begin{array}{cccccccc} 125.7 & 6.990 \\ 218.0 & 10.34 \\ 335.1 & 13.94 \\ 474.4 & 17.66 \\ 632.9 & 21.39 \end{array}$		49. 02 92. 24 152. 9 231. 9 329. 5
$50 \\ 55 \\ 60 \\ 65 \\ 70$	$\begin{array}{c} 36.\ 90\\ 40.\ 08\\ 42.\ 94\\ 45.\ 84\\ 48.\ 77 \end{array}$	$\begin{array}{c} 809.\ 0\\ 1002\\ 1209\\ 1431\\ 1668 \end{array}$	25. 09 28. 76 32. 37 35. 93 39. 43	$\begin{array}{c} 445.\ 7\\ 580.\ 4\\ 733.\ 3\\ 904.\ 0\\ 1092 \end{array}$
75 80 85 90 95	$51.54 \\ 53.93 \\ 56.68 \\ 59.34 \\ 61.84$	1919 2182 2459 2749 3052	$\begin{array}{c} 42.\ 89\\ 46.\ 29\\ 49.\ 64\\ 52.\ 96\\ 56.\ 24\end{array}$	1298 1521 1761 2018 2291
$100 \\ 105 \\ 110 \\ 115 \\ 120$	$\begin{array}{c} 64.\ 37\\ 66.\ 94\\ 69.\ 51\\ 72.\ 09\\ 74.\ 66\end{array}$	$3367 \\ 3696 \\ 4037 \\ 4391 \\ 4758$	$59.\ 47 \\ 62.\ 67 \\ 65.\ 85 \\ 68.\ 99 \\ 72.\ 12$	2580 2885 3207 3544 3897
$125 \\ 130 \\ 135 \\ 140 \\ 145$	77. 2279. 7882. 3284. 8587. 39	5137 5530 5935 6353 6784	75. 2278. 3081. 3584. 3987. 42	$\begin{array}{r} 4265 \\ 4649 \\ 5048 \\ 5462 \\ 5892 \end{array}$
$     \begin{array}{r}       150 \\       155 \\       160 \\       165 \\       170     \end{array} $	$\begin{array}{c} 89.95\\ 92.56\\ 95.24\\ 98.00\\ 100.7\end{array}$	7227 7683 8153 8636 9132	$\begin{array}{c} 90.\ 42\\ 93.\ 41\\ 96.\ 39\\ 99.\ 37\\ 102.\ 33 \end{array}$	6336 6796 7270 7760 8264
$175 \\ 180 \\ 185 \\ 190 \\ 195$	$103. \ 6 \\ 106. \ 8 \\ 110. \ 2 \\ 113. \ 7$	$9643 \\ 10169 \\ 10711 \\ 11272$	105. 29 108. 26 111. 23 114. 21	8783 9317 9866 10428
200 205 210 215 218. 4 a	$124.8 \\ 126.6 \\ 129.1 \\ 131.2$	20842 162.14 21477 165.20		12396 13214
		Liquid		
218. 4 a 220 225 230 235	$141.9 \\ 142.1 \\ 143.3 \\ 144.6 \\ 145.8$	24133 24847 25566 26292	$177. 46 \\180. 67 \\183. 83 \\186. 95$	$\begin{array}{c} 14908 \\ 15803 \\ 16715 \\ 17642 \end{array}$
$240 \\ 245 \\ 250 \\ 255 \\ 260$	$147. 1 \\ 148. 5 \\ 149. 9 \\ 151. 3 \\ 152. 7$	27025 27764 28510 29263 30023	$190. 04 \\193. 08 \\196. 10 \\199. 08 \\202. 03$	18584 19542 20515 21503 22505
265 270 275 280 285	$\begin{array}{c} 154. 1 \\ 155. 7 \\ 157. 3 \\ 159. 0 \\ 160. 8 \end{array}$	30790 31565 32347 33138 33938	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	

\* Extrapolated.

<sup>a</sup> Equation (4).

tions were plotted on a large scale. The heat capacities given in table 6 at equally spaced integral temperatures were obtained by the combination of the approximate empirical equations and the large scale deviation curves. The heat-capacity values of table 6 below  $17^{\circ}$  K were obtained by extrapolation using a Debye function fitted to experimental values between  $17^{\circ}$  and  $30^{\circ}$  K.

The enthalpy, entropy, and Gibbs free energy values were obtained by evaluating, respectively, the thermodynamic relations

$$(H_{T} - H_{0 \circ \mathbf{K}})_{\text{satd}} = \int_{0}^{T} C_{\text{satd}} dT + \Delta H_{\text{tr}} + \Delta H_{\text{f}} + \int_{0}^{T} \mathcal{U}(dp/dT)_{\text{satd}} dT,$$
(6)

$$(S_T - S_{0 \circ \mathbf{K}})_{\text{satd}} = \int_0^T C_{\text{satd}} \, dT/T + \Delta H_{\text{tr}}/T_{\text{tr}} + \Delta H_{\text{f}}/T_{\text{tp}},$$
(7)

and

$$(F_{T} - H_{0 \circ \mathbf{K}})_{\text{satd}} = -\int_{0}^{T} (S_{T} - S_{0 \circ \mathbf{K}})_{\text{satd}} dT + \int_{0}^{T} \mathcal{U}(dp/dT)_{\text{satd}} dT.$$
(8)

In these expressions  $\Delta H_{\rm tr}$  is the heat of transition,  $T_{\rm tr}$  the temperature of transition, and U the molal volume of the condensed phase. Other symbols have the usual or previously defined significance. The equations were evaluated, except between 190° and 220° K, by numerical integration using four-point Lagrangian integration coefficients [3]. Between 190° and 220° K, the enthalpy change was obtained by summing the experimental input energies in runs that were made continuously through either or both of the two first-order transitions. This procedure was particularly necessary for evaluating the enthalpy change in the temperature region that included the triple-point temperature. As mentioned in section 3, the premelting corrections were highly uncertain and, although the measurements of the total energy involved were precise, the energy distribution between melting and heat capacity may be inaccurate. In the interval from  $190^{\circ}$  to 205° K, as given in table 7, the enthalpy changes for runs 6 and 8 were 9570.4 and 9573.8 abs j mole<sup>-1</sup>, respectively. From 210° to 220° K, which includes the triple-point temperature, runs 1, 7, and 8 gave 2656.1, 2657.7, and 2660.3 abs j mole<sup>-1</sup>, respectively, for the enthalpy change. In run 8, the heatcapacity experiments were made continuously from 188.1789° to 221.5915° K, which gave 12861.9 abs j mole<sup>-1</sup> for the enthalpy change in the interval 190° to 220° K. Upon taking 9570.4 and 2656.1 abs j mole<sup>-1</sup>, which have been obtained under optimum

experimental conditions, for the enthalpy changes for the intervals  $190^{\circ}$  to  $205^{\circ}$  K and  $210^{\circ}$  to  $220^{\circ}$  K, respectively, the enthalpy change for the interval  $205^{\circ}$  to  $210^{\circ}$  K becomes 635.4 abs j mole<sup>-1</sup>.

 
 TABLE 7. Molal enthalpy and entropy change of N-dimethylaminodiborane over various temperature intervals

Molecular weight=70.756,  $^{\circ}K=^{\circ}C+273.16^{\circ}$ 

Run	Temperature interval	$\Delta H$	$\Delta S$
6 8	$^{\circ}K$ 190 to 205 190 to 205	$abs\ j\ mole^{-1}\ 9570.\ 4\ 9573.\ 8$	$abs \; j \; deg^{-1} \; mole^{-1} \\ 47.\; 923 \\ 48.\; 154$
1 7 8	210 to 220 210 to 220 210 to 220	$\begin{array}{c} 2656.\ 1\\ 2657.\ 7\\ 2660.\ 3\end{array}$	$12.\ 263 \\ 12.\ 274 \\ 12.\ 297$
8	190 to 220 205 to 210	12861.9 635.4	3. 062

The entropy changes for the corresponding temperature intervals (see table 7) were obtained by summing the various  $\Delta H/T_m$ 's, where  $T_m$  is the mean temperature of the heating interval. In the interval 190° to 205° K, runs 6 and 8 gave 47.923 and 48.154 abs j deg<sup>-1</sup> mole<sup>-1</sup>, respectively. As  $\Delta H$  and correspondingly the  $\Delta T$  were smaller in run 6, the entropy change of this run was used in constructing table 6. For the interval 205° to 210° K, the entropy change (635.4 abs j mole<sup>-1</sup>) by the mean temperature (207.5°K). For the interval 210° to 220°K, runs 1, 7, and 8 gave 12.263, 12.274, and 12.297 abs j deg<sup>-1</sup> mole<sup>-1</sup>, respectively. The value 12.263 abs j deg<sup>-1</sup>

The entropy of N-dimethylaminodiborane in the ideal gas state at 1 atm and 271.60°K was evaluated from the data, and the computations are summarized in table 8. To make the gas-imperfection correction, the N-dimethylaminodiborane vapor was assumed to follow the Berthelot equation of state. The uncertainty of  $\pm 0.6$  abs j deg<sup>-1</sup> mole<sup>-1</sup> given for the entropy in the ideal-gas state was obtained by statistically combining the estimated uncertainties in the entropy of liquid N-dimethylaminodiborane at 271.60°K and in the entropy of vaporization. The uncertainty in the gas-imperfection correction was assumed negligible.

TABLE 8.	Summary	of the	experimental	molal	entropy	calcu-
	lated for	N-din	net hylaminodi	borane	;	

Molecular weight=70.756, °K=°C+273.16°

$S_{15^{\circ}}$ , Debye. $\Delta S_{15^{\circ}-19^{\circ}}$ , solid. $\Delta S_{190^{\circ}-290^{\circ}}$ , solid and liquid, including transitions $\Delta S_{220^{\circ}-271.60^{\circ}}$ , liquid.	$abs \ j \ deg^{-1} \ mole^{-1} \ 1.9 \ 112.3 \ 63.3 \ 31.2$
S of the liquid at 271.60° K	208.7±0.6
$\begin{array}{l} \Delta S, \mbox{ vaporization, } 30,119/271.60. \\ \Delta S, \mbox{ gas imperfection.} \\ \Delta S, \mbox{ compression to 1 atm, } R \mbox{ ln } (94.3/760). \\ \end{array}$	$110. 9 \pm 0. 1 \\ 0. 1 \\ -17. 4 \pm 0. 0$
S ideal gas at 1 atm and 271.60° K	302.3±0.6

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